

Solution Maths X  
Marking Scheme  
PART - A

Q.1	17=17 x 1 23=23x1 29=29 x1 So HCF (17,23,29)=1	(Option- C)	1
Q.2	LCM X HCF	(Option -D)	1
Q.3	The Number of zeros in quadratic equation $4x^2-4x-1$ will have =2 [‘.’ Number of zeroes = Highest power of polynomial]	(Option- B)	1
Q.4	$P(E) + P(\bar{E}) = 1$ [ ‘.’ Sum of all types of probability in a system is 1]	(Option -A)	1
Q.5	$b^2-4ac>0$	(Option -C)	1
Q.6	The next term of the given AP=7 [‘.’ Here comes diff = $-1-(-5)=-1+5=4$ ] So next term = $3+4=7$	(Option- b)	1
Q.7	$\sec^2 \theta$	(Option- b)	1
Q.8	We have $\begin{aligned} (8)^2 + (15)^2 &= \dots\dots\dots \\ 64 + 225 &= \dots\dots\dots \\ 289 &= \dots\dots\dots \\ (17)^2 &= (17)^2 \end{aligned}$	(Option- B)	1
Q.9	Ans. Secant Line	(Option -B)	1
Q.10	Ans. Volume of cylinder = $\pi r^2 h$	(Option -B)	1
Q. 11	Ans. $n^{\text{th}}$ term of AP = $a + (n-1)d$	(Option -B)	1
Q. 12	Given $\sin A = \frac{4}{3}$ then $\operatorname{Cosec} A = \frac{4}{3}$	(Option-D)	1
Q. 13	Ans .All Square are similar	(Option -A)	1
Q. 14	Ans. $90^\circ$	(Option- C)	1
Q. 15	$\frac{\frac{4}{3}\pi r_1^3}{\frac{4}{3}\pi r_2^3} = \frac{64}{27}$ $\frac{r_1^3}{r_2^3} = \frac{64}{27}$ $\frac{r_1}{r_2} = \sqrt[3]{\frac{64}{27}}$ $\frac{r_1}{r_2} = \frac{4}{3}$		

$$\frac{4\pi r_1^2}{4\pi r_2^2} = \frac{(4)^2}{(3)^2} = \frac{16}{9} = 16:9 \quad (\text{Option- B}) \quad 1$$

Q.16 The given Polynomial  $5y^2 - 14y + 8$

$$\begin{aligned} \text{So sum of zeroes} &= \frac{-b}{a} \\ &= \frac{-(-14)}{5} \\ &= \frac{14}{5} \end{aligned} \quad (\text{Option- C}) \quad 1$$

Q.17. 336 1

$$\begin{array}{r|l} 2 & 336 \\ \hline 2 & 168 \\ \hline 2 & 84 \\ \hline 2 & 42 \\ \hline 3 & 21 \\ \hline & 7 \end{array}$$

$$336 = 2 \times 2 \times 2 \times 2 \times 3 \times 7 \quad 1$$

Q.18 Given that

Coordinates of Rama's house  $(x_1, y_1) = (6, 0)$

" " Shyama's house  $(x_2, y_2) = (0, 8)$

Using distance formula

$$\begin{aligned} \text{Distance between their houses} &= \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2} \\ &= \sqrt{(0 - 6)^2 + (8 - 0)^2} \\ &= \sqrt{(-6)^2 + (8)^2} \\ &= \sqrt{(36) + (64)} \\ &= \sqrt{100} \\ &= 10 \text{ Unit} \end{aligned} \quad 2$$

Q.19  $\sin 60^\circ \cos 30^\circ + \sin 30^\circ \cos 60^\circ$

$$\begin{aligned} &= \frac{\sqrt{3}}{2} \times \frac{\sqrt{3}}{2} + \frac{1}{2} \times \frac{1}{2} \\ &= \frac{3}{4} + \frac{1}{4} \end{aligned} \quad 1$$

$$= \frac{3+1}{4} = \frac{4}{4} = 1$$

1

Q.20

$$\begin{aligned} X + Y &= 14 & - & \quad (I) \\ X - Y &= 4 & - & \quad (II) \end{aligned}$$

From (II)  $X - Y = 4$   
 $X = 4 + Y$  - (III)  
 On substituting  $X = 4 + Y$  in (I)  
 $4 + Y + Y = 14$   
 $4 + 2Y = 14$   
 $2Y = 14 - 4$   
 $2y = 10$   
 $Y = \frac{10}{2}$   
 $Y = 5$   
 On putting  $Y = 5$  44 (II)  
 $X = 4 + 5$   
 $X = 9$

So  $X = 9$  and  $Y = 5$  ans.

Q. 21

The given equation

$$\begin{aligned} \sqrt{2x^2} + 7x + 5\sqrt{5} &= 0 \\ \sqrt{2x^2} + 2x + 5x + 5\sqrt{5} &= 0 \\ \sqrt{2x^2} + (\sqrt{2x})^2x + 5x + 5\sqrt{2} &= 0 \\ \sqrt{2x} + (x + \sqrt{2x}) + 5(x + \sqrt{2}) &= 0 \\ (\sqrt{2x} + 5)(x + \sqrt{2}) &= 0 \end{aligned}$$

$\sqrt{2x} + 5 = 0$ $\sqrt{2x} = -5$ $X = \frac{-5}{\sqrt{2}}$	$\frac{1}{2}$	$x + \sqrt{2} = 0$ $x = -\sqrt{2}$	$\frac{1}{2}$	$1$
--	---------------	---------------------------------------	---------------	-----

Q.22

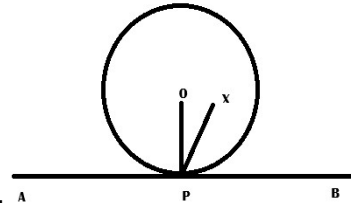
Number of red balls = 3  
 Number of Black Balls = 5  
 Total numbers of balls = 3+5=8

So probability of getting a red balls =  $\frac{\text{number of red balls}}{\text{Total numbers of balls}}$

$\frac{3}{8}$	$\frac{1}{2}$	$\frac{1}{2}$	$1$
---------------	---------------	---------------	-----

Q.23

Given a circle with centre O  
And AB the tangent intersecting  
Circle at point P will pass through  
Centre perpendicular proof



We know that tangent to any circle  
Make an angle of  $90^\circ$  with radius.

Hence

$$OP \perp AB$$

$$\text{So } \angle OPB = 90^\circ \quad - \quad (I)$$

Now let's assume some point X

Such that  $XP \perp AB$

$$\text{Hence } \angle XPB = 90^\circ \quad - \quad (II)$$

From eq4 (I) and (II)

$$\angle OPB = \angle XPB = 90^\circ$$

Which is possible only if the line XP pass through O

Hence it is proved that perpendicular to tangent passes  
through centre.

Q.24.

Let us assume that  $5 - \sqrt{3} = \frac{a}{b}$

(Hence a and b are co prime number  
And  $b \neq 0$ )

$$\sqrt{3} = 5 - \frac{a}{b} \quad \frac{1}{2}$$

$$\sqrt{3} = \frac{5b - a}{b} = \text{rational number}$$

But we know that  $\sqrt{3}$  is an irrational number this contradiction  
Arose from our wrong prediction that  $5 - \sqrt{3}$  is a rational number hence  
It is proved that  $5 - \sqrt{3}$  is an irrational number.

Q.25

Given that

$$a_3 = 16$$

$$a + (3-1)d = 16$$

$$a + (3-1)d = 16$$

$$1 + 2d = 16 \quad (\text{equation 1}) \quad \frac{1}{2}$$

And

$$a_7 - a_5 = 12$$

$$a + (7-1)d - [a + (5-1)d] = 12$$

$$a + 6d - [a + 4d] = 12$$

$$a + 6d - a - 4d = 12 \quad \frac{1}{2}$$

$$2d = 12$$

$$d = \frac{12}{2}$$

$$d = 6$$

on putting  $d = 6$  in (equation 1)

$$a + 2(6) = 16 \quad \frac{1}{2}$$

$$a + 12 = 16$$

$$a = 16 - 12$$

$$a = 4$$

$$a_2 = a + (2-1)d$$

$$= 4 + (1)(6) \quad \frac{1}{2}$$

$$= 4 + 6 = 10$$

$$a_3 = a + (3-1)d$$

$$= 4 + (2)6 \quad \frac{1}{2}$$

$$= 4 + 12$$

$$= 16$$

$$a_4 = a + (4-1)d$$

$$= 4 + 3(6) \quad \frac{1}{2}$$

$$= 4 + 18$$

$$= 22$$

So AP : 4, 10, 16, 22.....

Q.27 Let point  $P(x, y)$  is equidistant from the point  $A(3, 6)$  and  $B(-3, 4)$

$$PA = PB \quad \frac{1}{2}$$

By using distance formula we have

$$\sqrt{(x-3)^2 + (y-6)^2} = \sqrt{[x - (-3)]^2 + (y-4)^2} \quad \frac{1}{2}$$

$$\sqrt{(x-3)^2 + (y-6)^2} = \sqrt{(x+3)^2 + (y-4)^2} \quad \frac{1}{2}$$

$$(x-3)^2 + (y-6)^2 = (x+3)^2 + (y-4)^2 \quad \frac{1}{2}$$

$$x^2 - 6x + 9 + y^2 - 12y + 36 = x^2 + 6x + 9 + y^2 - 8y + 16 \quad 1$$

$$x^2 - 6x + 9 + y^2 - 12y + 36 - x^2 - 6x - 9 - y^2 + 8y - 16 = 0 \quad \frac{1}{2}$$

$$-6x - 6x - 12y + 8y + 36 - 16 = 0$$

$$-12x - 4y + 20 = 0 \quad 1$$

$$-4[3x + y - 5] = 0$$

$$3x + y - 5 = 0$$

Hence the relation between  $x$  and  $y$  is

$$3x + y - 5 = 0$$

Q. 28 L.H.S. =  $\frac{1 + \sec \theta}{\sec \theta}$

$$= \frac{1 + \frac{1}{\cos \theta}}{\frac{1}{\cos \theta}}$$

$$\begin{aligned}
 & [ \because \sec \theta = \frac{1}{\cos \theta} ] && \frac{1}{2} \\
 & = \frac{\cos \theta + 1}{\cos \theta} && \\
 & \quad \frac{1}{\cos \theta} && \frac{1}{2} \\
 & = \frac{\cos \theta + 1}{\cos \theta} \times \cos \theta && \\
 & = \cos \theta + 1 && \frac{1}{2} \\
 & \text{R.H.S.} = \frac{\sin^2 \theta}{1 - \cos \theta} && \\
 & = \frac{1 - \cos^2 \theta}{1 - \cos \theta} && \\
 & \quad \sin 2\theta + \cos 2\theta = 1 && \frac{1}{2} \\
 & \quad \sin 2\theta = 1 - \cos 2\theta && \\
 & = \frac{(1 - \cos \theta)(1 + \cos \theta)}{1 - \cos \theta} && \\
 & \quad [ \because a^2 - b^2 = (a - b)(a + b) ] && 1 \\
 & = 1 + \cos \theta && \\
 & = \cos \theta + 1 && \\
 & \text{So L.H.S.} = \text{R.H.S.} &&
 \end{aligned}$$

Q. 29

Given that radius of circle ( R ) = 10 cm

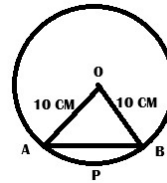
Angle made by chord AB at centre ( $\angle$ ) =  $90^\circ$

$$\text{Area of sector } \angle \text{APB} = \frac{\theta}{360} \pi r^2$$

$$= \frac{90}{360} \times 3.14 \times (10)^2$$

$$= \frac{1}{4} \times \frac{314}{100} \times 100$$

$$= \frac{314}{4} = 78.5 \text{ cm}^2$$



Area of right angle triangle AOB =  $\frac{1}{2} \times \text{Base} \times \text{Height}$

$$= \frac{1}{2} \times \text{OA} \times \text{OB}$$

$$= \frac{1}{2} \times 10 \times 10$$

$$= 50 \text{ cm}^2$$

So area of minor segment APB = Area of - Area of

Sector  $\triangle$ AOB

OAPB

$$= 78.5 - 50$$

$$= 28.5 \text{ cm}^2$$

(ii) Area of Major Sector =  $(360^\circ - \angle) \times \pi r^2$

$$\begin{aligned}
 & 360 \\
 &= \frac{360-90}{3} \times 3.4 \times (10)^2 \\
 &= \frac{270}{4} \times 3.14 \times 100 \\
 &= 3 \times 3.14 \times 25 \\
 &= 235.5 \text{ cm}^2
 \end{aligned}$$

1

Q. 30

Given

$$\cot \theta = \frac{7}{8}$$

$$\frac{\text{Base}}{\text{Perpendicular}} = \frac{7}{8}$$

In Triangle ABC

By Pythagoras theorem

$$(\text{Hypo})^2 = (\text{prep})^2 + (\text{Base})^2$$

$$(\text{Ac})^2 = (8)^2 + (7)^2$$

$$(\text{Ac})^2 = 64 + 49$$

$$(\text{Ac})^2 = 113$$

$$\text{Ac} = \sqrt{113}$$

$$\text{So } \sin \theta = \frac{8}{\sqrt{113}} \quad \cos \theta = \frac{7}{\sqrt{113}}$$

$$\frac{(1+\sin \theta)(1-\sin \theta)}{(1+\cos \theta)(1-\cos \theta)} = \frac{1-\sin^2 \theta}{1-\cos^2 \theta} = \frac{1-\sin^2 \theta}{1-\cos^2 \theta}$$

$$= 1 - \left( \frac{8}{\sqrt{113}} \right)^2$$

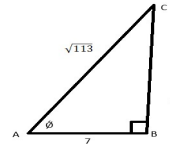
$$= 1 - \left( \frac{7}{\sqrt{113}} \right)^2$$

$$= 1 - \frac{64}{113} = \frac{113-64}{113}$$

$$= \frac{49}{113}$$

$$= \frac{49}{113}$$

$$= \frac{49}{64}$$



$\frac{1}{2}$

$\frac{1}{2}$

$\frac{1}{2}$

$\frac{1}{2}$

$\frac{1}{2}$

$\frac{1}{2}$

$\frac{1}{2}$

Q. 31

Let first number = x

So second number = 27-x

$\frac{1}{2}$

Given that product of number = 182

So

$$X(27-x) = 182 \quad \frac{1}{2}$$

$$27x - x^2 = 182$$

$$x^2 - 27x + 182 = 0$$

$$x^2 - 13x - 14x + 182 = 0 \quad \frac{1}{2}$$

$$x(x-13) - 14(x-13) = 0$$

$$(x-14)(x-13) = 0 \quad \frac{1}{2}$$

$$x-14 = 0 \quad x-13 = 0$$

$$x = 14 \quad x = 13$$

So if first number = 14  $\frac{1}{2}$

Then 2<sup>nd</sup> " " = 27-14=13

And

If first number = 13

Then 2<sup>nd</sup> " " = 27-13=14  $\frac{1}{2}$

Q. 32

AB is a tangent drawn on the

Circle from point A

$OB \perp AB$

OA = 5cm and AB = 4cm (given)

In  $\triangle ABO$

By Pythagoras theorem in  $\triangle ABO$  [ 1 all App. Of phyth]

$$(OA)^2 = (AB)^2 + (BO)^2$$

$$5^2 = 4^2 + (BO)^2$$

$$25 = 16 + (BO)^2$$

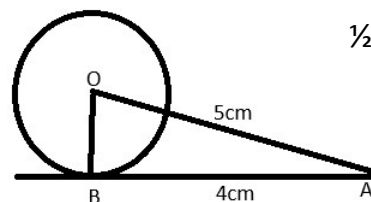
$$(BO)^2 = 25 - 16$$

$$(BO)^2 = 9$$

$$BO = \sqrt{9}$$

$$BO = 3$$

So radius of circle = 3cm.



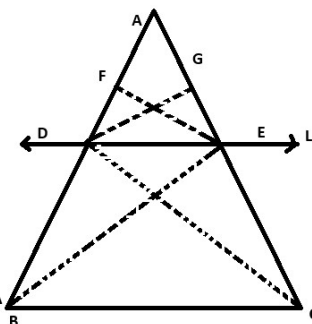
Q. 33

Statement : if a line is parallel to a side of triangle which intersect the other sides in to two distinct points, then the line divides those two sides in proportion.

Proof : Let ABC is the triangle the

line L II to BC intersect AB at D and AC at A

AC at E





We have to prove that

$$\frac{AD}{DB} = \frac{AE}{EC}$$

Join BE, CD

Draw  $EF \perp AB$ ,  $DG \perp CA$

$$\text{or } \Delta ADE = \frac{1}{2} \times AD \times EF$$

$$\text{or } \Delta ADE = \frac{1}{2} \times DB \times EF$$

$$\frac{\text{or } \Delta ADE}{\text{or } \Delta ADE} = \frac{\cancel{\frac{1}{2} \times AD \times EF}}{\cancel{\frac{1}{2} \times DB \times EF}} = \frac{AD}{DB} \quad \dots\dots\dots(i) \quad \frac{1}{2}$$

Again

$$\text{or } \Delta ADE = \frac{1}{2} \times AE \times DG$$

$$\text{or } \Delta ADE = \frac{1}{2} \times EC \times DG$$

$$\frac{\text{or } \Delta ADE}{\text{or } \Delta DCE} = \frac{\cancel{\frac{1}{2} \times AE \times DG}}{\cancel{\frac{1}{2} \times EC \times DG}} = \frac{AE}{EC} \quad \dots\dots\dots(ii) \quad 1$$

But  $\Delta DBE$  and  $\Delta DCE$  are same base DE between the same parallel Straight line BC and DE.

So

$$\text{Area of } \Delta DBE = \text{Area of } \Delta DCE \quad \dots\dots\dots(iii) \quad 1$$

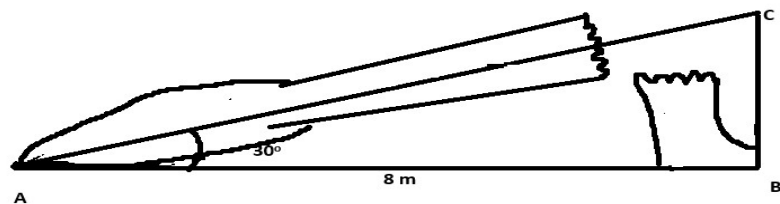
From (i),(ii),(iii)

$$\frac{AD}{DB} = \frac{AE}{EC}$$

(Proved)

Q.34

Given that a tree breaks down due to storm distance between the foot of tree to point whose top of tree touches ground angle of inclination made by broken part ( $\angle CAB$ )= $30^\circ$



Let height from which tree is broken = BC

Length of broken part = AC

So

Total height of tree = BC + AC

In  $\Delta ABC$

$$\text{In } \frac{BC}{AB} = \tan 30^\circ$$

$$\frac{BC}{8} = \frac{1}{\sqrt{3}}$$

$$[ \because \tan 30^\circ = \frac{1}{\sqrt{3}} ]$$

$$BC = \frac{8}{\sqrt{3}} \dots\dots\dots(i) \quad 1$$

Again in  $\triangle ABC$

$$\frac{AC}{AB} = \sec 30^\circ$$

$$\frac{AC}{AB} = \frac{2}{\sqrt{3}} \quad [ \because \tan 30^\circ = \frac{2}{\sqrt{3}} ]$$

$$AC = \frac{16}{\sqrt{3}} \dots\dots\dots(ii) \quad 1$$

So total height of tree = BC + AC

$$= \frac{8}{\sqrt{3}} + \frac{16}{\sqrt{3}}$$

$$= \frac{8+16}{\sqrt{3}}$$

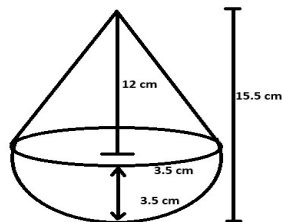
$$= \frac{24}{\sqrt{3}}$$

$$= \frac{24}{\sqrt{3}} \times \frac{\sqrt{3}}{\sqrt{3}}$$

$$= 8\sqrt{3}$$

1/2

Q. 35 Given that a doll in the shape of cone mounted on hemisphere of some radius.



So

Radius of Conical part = radius of hemispherical part = 3.5 cm

1/2

Total height of doll = 15.5 cm

So height of conical part = 15.5 - 3.5 = 12 cm

1/2

Let strict height of conical part = L

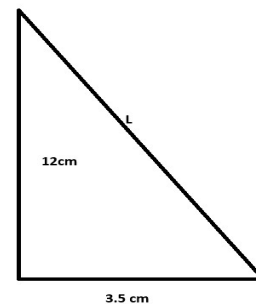
By Pythagoras theorem

$$L^2 = (12)^2 + (3.5)^2$$

$$L^2 = 144 + 12.25$$

$$L^2 = 156.25$$

$$L = \sqrt{156.25}$$



$$L = 12.5 \text{ cm}$$

$$\begin{array}{r}
 12.5 \\
 1 \overline{) 156.25} \\
 \underline{1} \phantom{00} \\
 22 \phantom{00} \overline{) 56} \\
 \underline{44} \phantom{00} \\
 245 \phantom{00} \overline{) 1225} \\
 \underline{1225} \phantom{00} \\
 \phantom{00} \overline{) X}
 \end{array}$$

Total surface area of doll = curved surface area of conical part + curved area of Hemispherical Part

$$\begin{aligned}
 &= \pi r L + 2 \pi r^2 \\
 &= \pi r (L + 2 \pi r) \\
 &= \frac{22}{7} \times 3.5 \times (12.5 \times 2 \times 3.5) \\
 &= \frac{22}{7} \times 3.5 \times (12.5 + 7) \\
 &= \frac{22}{7} \times 3.5 \times 19.5 \\
 &= 22 \times 0.5 \times 19.5 \\
 &= 214.5 \text{ cm}^2
 \end{aligned}$$

So total area to be coloured = 214.5 cm<sup>2</sup>

Q.36 present age of Nuri = x yrs.  
 " " sonu = y yrs. 1  
 Five years age  
 Age of Nuri = (x-y) Yrs.

A.T.Q.

$$\begin{aligned}
 x-5 &= 3(y-5) & \frac{1}{2} \\
 x-5 &= 3y-15 \\
 x-3y &= -15+5 \\
 x-3y &= -10 \dots\dots\dots(i) & \frac{1}{2}
 \end{aligned}$$

Ten years later

$$\begin{aligned}
 \text{Age of Nuri} &= (x+10) \text{ yrs} \\
 \text{" " Sonu} &= (y+10) \text{ yrs} & \frac{1}{2}
 \end{aligned}$$

A.T.Q.

$$\begin{aligned}
 x+10 &= 2(y+10) & \frac{1}{2} \\
 x+10 &= 2(y+10) \\
 x-2y &= 20-10 \\
 x-2y &= 10 \dots\dots\dots(ii) \\
 \text{on subtracting (ii) from (i)} \\
 \begin{array}{rcl}
 \cancel{x}-3 & = & -10 \\
 \cancel{x}-2y & = & 10 \\
 \hline
 - & + & -
 \end{array} & 1 \\
 \begin{array}{rcl}
 \cancel{y} & = & \cancel{20} \\
 Y & = & 20
 \end{array} \\
 \text{On putting } Y = 20 \text{ in (i)} \\
 \begin{array}{rcl}
 X - 3(20) & = & -10 \\
 X - 60 & = & -10 \\
 X & = & -10+60 \\
 X & = & 50
 \end{array} & \frac{1}{2} \\
 \text{Hence age of Nuri} &= 50 \text{ yrs} & \frac{1}{2} \\
 \text{" " Sonu} &= 20 \text{ yrs}
 \end{aligned}$$

Q.37

$$\begin{aligned}
 \text{Here maximum frequency} &= 61 & \frac{1}{2} \\
 \text{Hence 60-80 is the modal class} \\
 \text{Lower limit of modal class (L)} &= 60 \\
 \text{Frequency of modal class (f}_1\text{)} &= 61 & \frac{1}{2} \\
 \text{Frequency of class preceding} \\
 \text{modal class (f}_0\text{)} &= 52 \\
 \text{" " succeeding " " (f}_2\text{)} &= 38 \\
 \text{Class interval (h)} &= 20 & \frac{1}{2}
 \end{aligned}$$

So

$$\begin{aligned}
 \text{Mode} &= L + \left( \frac{f_1 - f_0}{2f_1 - f_0 - f_2} \right) \times h & 1 \\
 &= 60 + \left( \frac{61 - 52}{2(61) - 52 - 38} \right) \times 20 & \frac{1}{2} \\
 &= 60 + \left( \frac{9}{122 - 90} \right) \times 20 & \frac{1}{2} \\
 &= 60 + \frac{9}{32} \times 20 & \frac{1}{2} \\
 &= 60 + \frac{180}{32} = 60 + 5.625 = 65.625 \\
 \text{So modal take time of electrical} & & 1 \\
 \text{components} &= 65.625 \text{ Ans}
 \end{aligned}$$

Q.26

$$\begin{array}{rcl} 2x+y & = & 6 \\ 4x+2y & = & 4 \\ 2x+y & = & 6 \end{array}$$

$\frac{1}{2}$

X	0	1	2
y	6	4	2

Coordinates are (0,6)(1,4)(2,2)

$$4x - 2y = 4$$

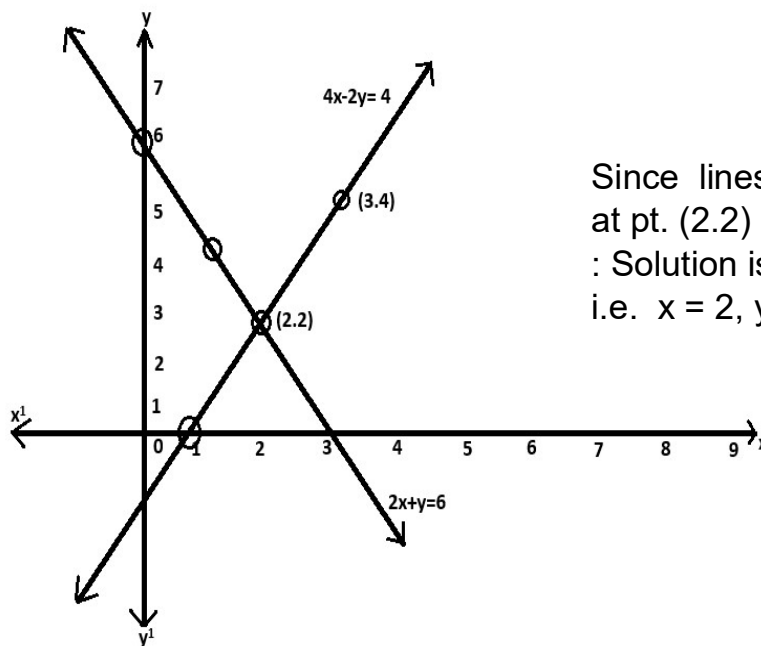
$\frac{1}{2}$

X	2	1	3
y	2	0	4

Coordinates are (2,2)(1,0)(3,4)

Graph : -

1



Since lines are intersecting  
at pt. (2,2)  
: Solution is (2,2)  
i.e.  $x = 2, y = 2$

1

PART –B [Short answer question]

Q. 23

Length of minute hand(r) = 360

$$\therefore \quad \therefore \quad \therefore \quad \therefore \quad = \frac{360}{60}$$

$$\therefore \quad \therefore \quad \therefore \quad \therefore \quad '10 = \frac{60}{360} \times 10 = 60^\circ$$

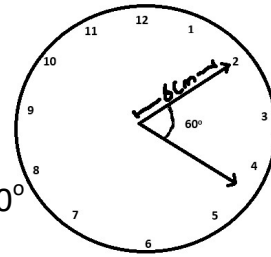
So are swept by minute hand in 10 min

$$= \frac{\theta}{360} \pi r^2 \quad \frac{1}{2}$$

$$= \frac{60}{360} \times \frac{22}{7} \times (6)^2$$

$$= \frac{60}{360} \times \frac{22}{7} \times 6 \times 6 \quad \frac{1}{2}$$

$$\frac{132}{7} \text{ cm}^2$$



PART –C [Long answer question]

Q. 27

Let number of articles produced on that day = x

So cost of each article = ₹(2x+3) 1/2

Total cost of production on that day = ₹90 1/2

$$\therefore \quad x \times (2x+3) = 90$$

$$2x^2 + 3x = 90 \quad \frac{1}{2}$$

$$2x^2 + 3x - 90 = 0$$

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \quad \frac{1}{2}$$

$$= \frac{-3 \pm \sqrt{(3)^2 - 4(2)(-90)}}{2(2)}$$

$$= \frac{-3 \pm \sqrt{9 + 720}}{4} \quad \frac{1}{2}$$

$$= \frac{-3 \pm \sqrt{729}}{4}$$

$$x = \frac{-3 - 27}{4}$$

$$x = \frac{-30}{4} = -7.5$$

$$\begin{array}{r} 27 \\ 2 \overline{) 729} \\ \underline{4} \phantom{00} \\ 47 \phantom{00} \\ \underline{329} \phantom{00} \\ 329 \phantom{00} \\ \underline{\phantom{00} x} \phantom{00} \end{array}$$

$$x = \frac{-3 \pm \sqrt{729}}{4}$$

$$x = \frac{-3 \pm \sqrt{729}}{4}$$

$$x = \frac{24}{4}$$

$$x = \frac{24}{4}$$

Negative value (neglected) 1/2

So number of article produced on that day = 6

cost of article = 2x+3

$$\begin{aligned}
 &= 2(6)+3 && \frac{1}{2} \\
 &= 12+3 \\
 &= ₹ 15
 \end{aligned}$$

PART –D [Application based ]

Q. 34 Let fix charge of taxi = ₹ x  
 " charge per km = ₹ y ½

In the first situation

Taxi charges for 10 km = ₹ 105 .....(i)

$$X + 10y = 105$$

In 2<sup>nd</sup> situation

Taxi charges for 15 km = ₹ 155 .....(ii) ½

On subtracting (i) from (ii)

$$\begin{array}{rcl}
 X + 15y & = & 155 \\
 X + 10y & = & 105 \\
 \hline
 & & 5y = 50 \\
 \hline
 & & 5y = 50
 \end{array}$$

$$\begin{array}{rcl}
 Y & = & \frac{50}{5} \\
 & & 10
 \end{array}$$

On putting Y = 10 ½

$$X + 10(10) = 105$$

$$X + 100 = 105$$

$$X = 105 - 100$$

$$X = 5$$

So for charge of taxi = ₹ 5 1

Charge per km of taxi = ₹ 10

Total taxi charges for the distance 25 km = x+25y

$$= 5 + 25(10)$$

$$= 5 + 250$$

$$= ₹ 255 1$$

Q.35 Q.35 Let the radius of cone = r cm

Let slout height of cone = l cm ½

let height of cone = h cm

let radius of cylinder =  $r_1$  cm

let height of cylinder =  $h_1$  cm  $\frac{1}{2}$

By Pythagoras theorem,

$$l^2 = r^2 + h^2 \quad \frac{1}{2}$$

$$l = \sqrt{r^2 + h^2}$$

$$= \sqrt{(2.5)^2 + (6)^2}$$

$$= \sqrt{6.25 + 36}$$

$$= \sqrt{42.25}$$

$$l = 6.5 \text{ cm}$$

Here the conical portion has its circular base resting on the base of the cylinder, but the base of cone is larger than the base of cylinder so a part of the base of the cone caring is to be painted,

So,  $\frac{1}{2}$

$$\begin{aligned} \text{The area to be painted orange} &= \text{CSA of cone} + \text{Base area of cone} - \text{Base area of cylinder} \\ &= \pi r l + \pi r^2 - \pi (r^1)^2 \quad \frac{1}{2} \end{aligned}$$

$$= \pi [r l + r^2 - r^{1 2}]$$

$$= \pi [2.5 \times 6.5 + (2.5)^2 - (1.5)^2]$$

$$= \pi [16.25 + 6.25 - 2.25]$$

$$= \pi [20.25]$$

$$= \pi [20.25]$$

$$= 3.14 \times 20.25 \quad 1$$

$$= 63.585 \text{ Cm}^2$$

Now the area to be painted yellow

$$= \text{CSA of cylinder} + \text{Area of on base of cylinder} \quad \frac{1}{2}$$

$$= 2 \pi r^2 h^1 + \pi (r^1)^2$$

$$= \pi r^1 [2 h^1 + r^1]$$

$$= 3.14 \times 1.5 (2 \times 20 + 1.5)$$

$$= 4.71 (40 + 1.5) \quad 1$$

$$= 4.71 \times 41.5$$

$$= 195.465 \text{ cm}^2$$